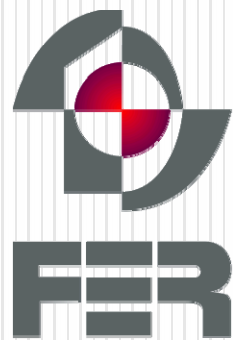


Iskustva sa studijskog boravka na Universidad de Castilla-La Mancha

Hrvoje Pandžić

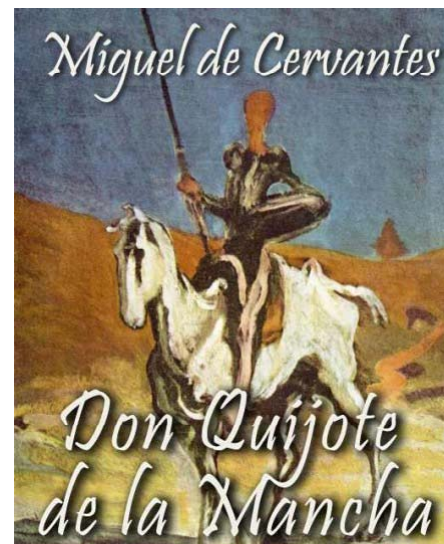
12.01.2011.

FER - Zagreb



Općenito

- Usavršavanje u trajanju 3 mjeseca (12.09.-23.12.2010)
- Ciudad Real
 - 70 000 stanovnika
 - Don Quijote
 - Rukomet



UCLM



- Osnovano 1982. godine
- 4 kampusa:
 - Albacete
 - Ciudad Real
 - Cuenca
 - Toledo
- GSEE – Electric Energy Systems Group

Kako? Zašto?

- Područje doktorata: određivanje optimalnog rasporeda održavanja elemenata elektroenergetskog sustava korištenjem matematičkog programiranja
- Najzastupljeniji u literaturi:
 - Mohammad Shahidehpour (IIT)
 - Antonio Conejo (UCLM)



120 CC i SCI radova

Financije

- Plaća MZOS (bez prijevoza)
- Stipendija NZZ 17 300 kn
- Troškovi:
 - put
 - osiguranje
 - viza
 - stanarina
 - hrana i ostalo



Predmet istraživanja

- Određivanje optimalnog termina održavanja prijenosnih vodova
- Ograničenja:
 - sigurnost prijenosnog sustava
 - utjecaj na tržište
- Bilevel problem:
 - gornja razina: minimizacija visokih opterećenja vodova
 - donja razina: *social welfare* (simulacija tržišta, odnosno *market clearing*)

Vremenski horizont

- Godina podijeljena na 52 tjedna
- Svaki tjedan podijeljen na radni dio tjedna te vikend
- Omogućeno održavanje samo tijekom nekoliko vikenda zaredom, kada je opterećenje u pravilu niže nego tijekom radnog tjedna

Funkcija cilja

- Mješovito-cjelobrojni problem:

$$\begin{aligned} & \text{Maximize} \\ & \Delta_U \\ & \sum_{t=1}^T \left[\frac{\sum_{l \in \Omega^{\text{NM}}} \left((p_l^{\text{max}} - \sum_{h \in \Phi} p_{lh}^{\text{abs}}(t) \cdot U_h) \cdot k_l \right)}{\sum_{j \in \Omega^{\text{D}}} \sum_{c \in \Omega_j} d_{jc}^{\text{max}}(t)} + \right. \\ & \left. + \frac{\sum_{l \in \Omega^{\text{M}}} \left(((1 - x_l(t)) \cdot p_l^{\text{max}} - \sum_{h \in \Phi} p_{lh}^{\text{abs}}(t) \cdot U_h) \cdot k_l \right)}{\sum_{j \in \Omega^{\text{D}}} \sum_{c \in \Omega_j} d_{jc}^{\text{max}}(t)} \right] \end{aligned}$$

Problem gornje razine

- Ograničenja tokova snaga:

$$\sum_{h \in \Phi} p_{lh}^{\text{abs}}(t) = p_l^{\text{abs}}(t) \quad \forall l \in \{\Omega^{\text{M}} \cup \Omega^{\text{NM}}\}, t \leq T \quad (1b)$$

$$p_{lh}^{\text{abs}}(t) \leq V_h \cdot p_l^{\text{max}} \quad \forall h \in \Phi, l \in \{\Omega^{\text{M}} \cup \Omega^{\text{NM}}\}, t \leq T \quad (1c)$$

$$p_l^{\text{abs}}(t) \geq p_l(t) \quad \forall l \in \{\Omega^{\text{M}} \cup \Omega^{\text{NM}}\}, t \leq T \quad (1d)$$

$$p_l^{\text{abs}}(t) \geq -p_l(t) \quad \forall l \in \{\Omega^{\text{M}} \cup \Omega^{\text{NM}}\}, t \leq T \quad (1e)$$

Problem gornje razine

- Ograničenja rasporeda održavanja:

$$x_l(t) \in \{0, 1\} \quad \forall l \in \Omega^M, t \leq T \quad (1f)$$

$$\sum_{t=1}^{T/2} x_l(2t-1) = Wd_l \quad \forall l \in \Omega^M \quad (1g)$$

$$\sum_{t=1}^{T/2} x_l(2t) = We_l \quad \forall l \in \Omega^M \quad (1h)$$

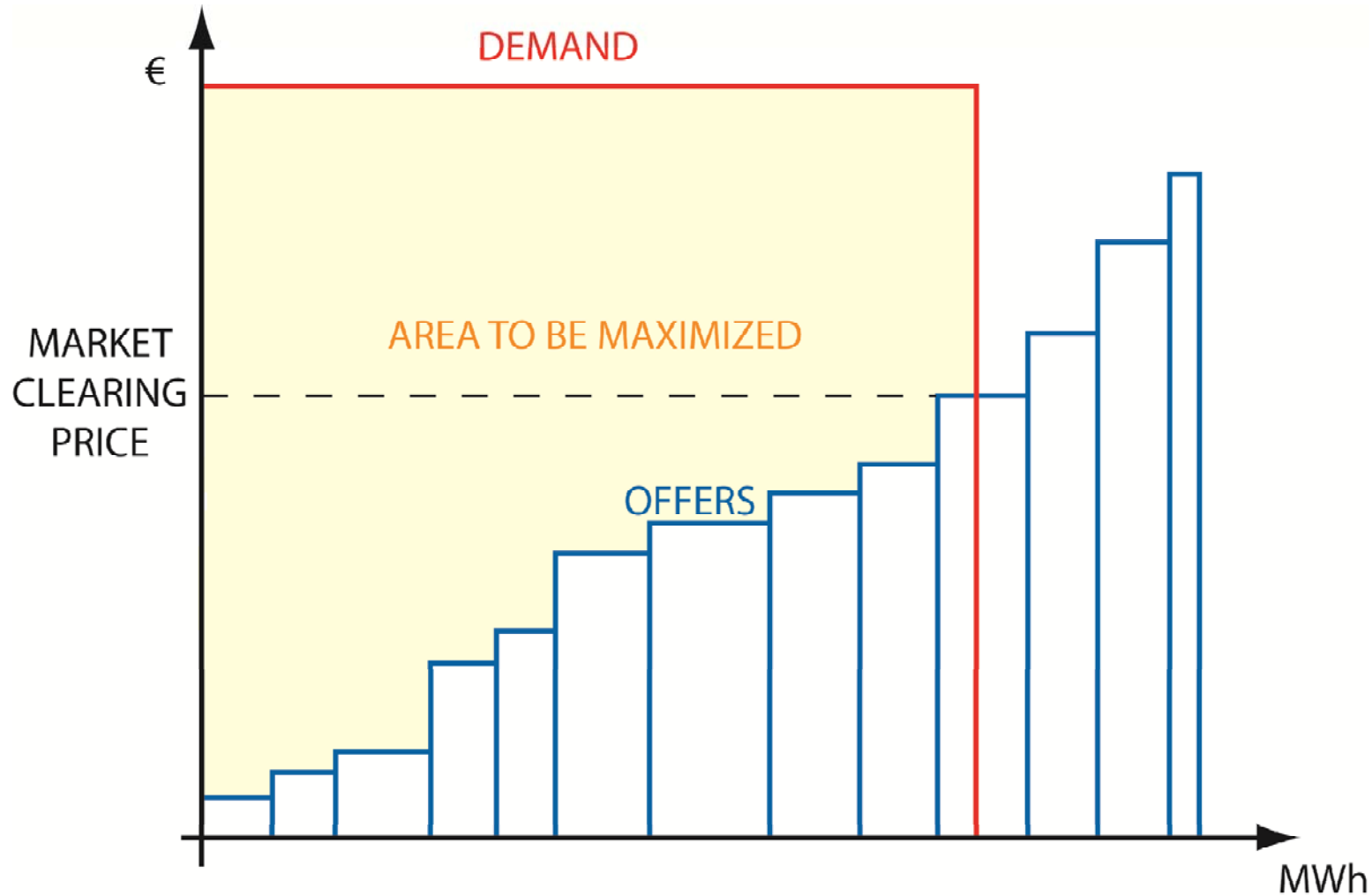
$$x_l(2t-1) - x_l(2t-3) \leq x_l(2t-1 + (2Wd-2)) \quad (1i)$$
$$\forall t \leq \frac{T}{2}$$

$$x_l(2t) - x_l(2t-2) \leq x_l(2t + (2We-2)) \quad (1j)$$
$$\forall t \leq \frac{T}{2}$$

$$x_l(t) - x_l(t-1) \leq x_l(t + (Wd+We-1)) \quad (1k)$$
$$\forall t \leq T$$

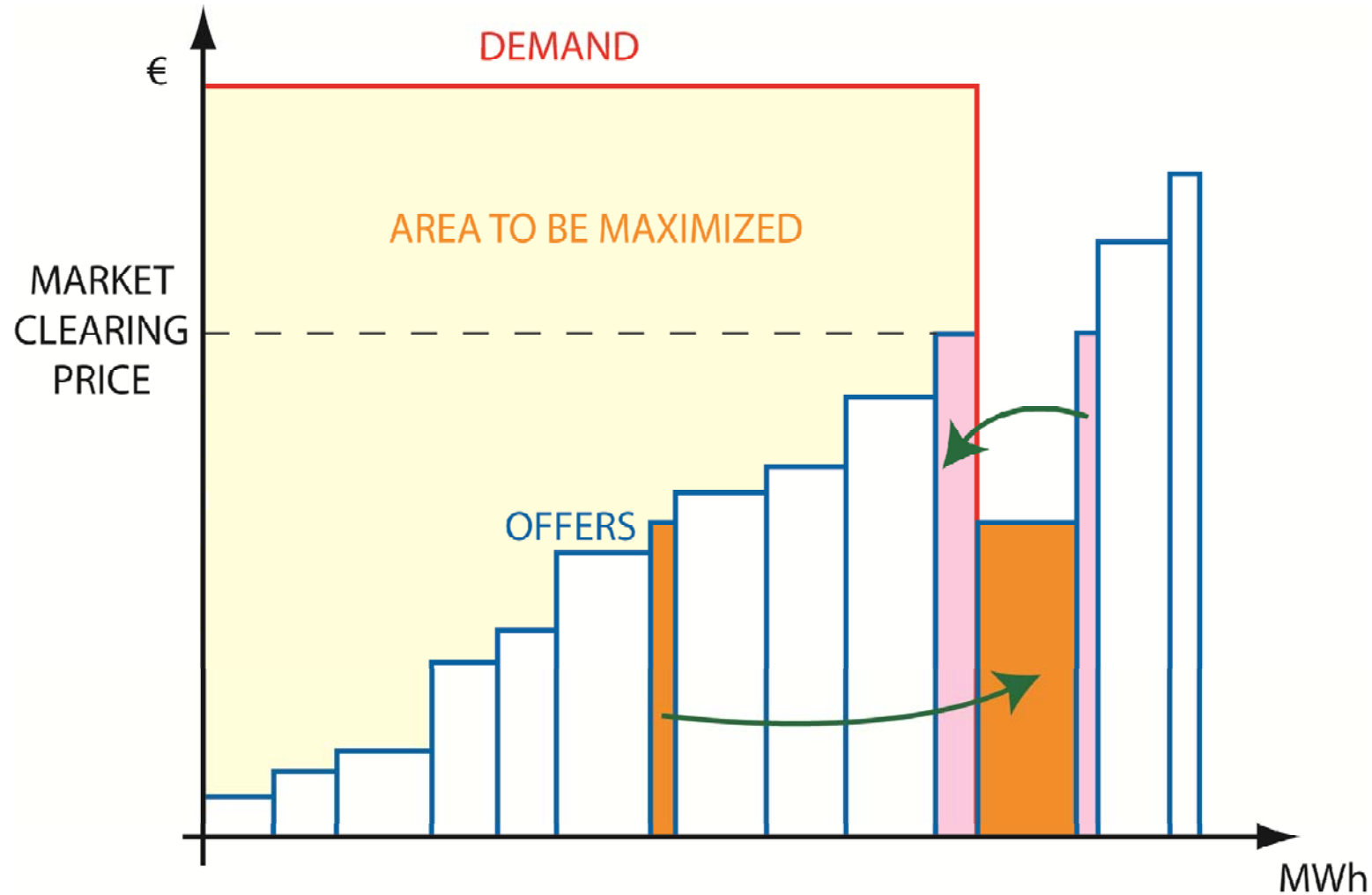
Problem donje razine

- Social welfare:



Problem donje razine

- Ovo ne želimo:



Problem donje razine

- Funkcija cilja:

$$p_l(t) \forall l \in \arg \left\{ \begin{array}{l} \text{Maximize} \\ \Delta_{L,P} \end{array} \right.$$
$$\left[\sum_{j \in \Omega^D} \sum_{c \in \Omega_j} \lambda_{Djc}(t) \cdot d_{jc}(t) - \right.$$
$$\left. - \sum_{i \in \Omega^G} \sum_{b \in \Omega_i} \lambda_{Gib}(t) \cdot g_{ib}(t) \right]$$

Problem donje razine

- Ograničenja:

$$\begin{aligned} \sum_{i \in \Psi_s^G} \sum_{b \in \Omega_i} g_{ib}(t) - \sum_{l|o(l)=s} p_l(t) + \sum_{l|d(l)=s} p_l(t) &= \\ &= \sum_{i \in \Psi_s^D} \sum_{c \in \Omega_j} d_{jc}(t) \quad : \alpha_s(t) \forall s \in \Pi \end{aligned} \quad (2b)$$

$$p_l(t) = b_l (1 - x_l(t)) \cdot (\theta_{o(l)}(t) - \theta_{d(l)}(t)) \quad : \beta_l(t) \forall l \in \Omega^M \quad (2c)$$

$$p_l(t) \leq p_l^{\max} \quad : \beta_l^{\max}(t) \forall l \in \Omega^M \quad (2d)$$

$$p_l(t) \geq -p_l^{\max} \quad : \beta_l^{\min}(t) \forall l \in \Omega^M \quad (2e)$$

$$p_l(t) = b_l \cdot (\theta_{o(l)}(t) - \theta_{d(l)}(t)) \quad : \kappa_l(t) \forall l \in \Omega^{NM} \quad (2f)$$

$$p_l(t) \leq p_l^{\max} \quad : \kappa_l^{\max}(t) \forall l \in \Omega^{NM} \quad (2g)$$

Problem donje razine

- Ograničenja:

$$p_l(t) \geq -p_l^{\max} \quad : \kappa_l^{\min}(t) \forall l \in \Omega^{\text{NM}} \quad (2h)$$

$$g_{ib}(t) \leq g_{ib}^{\max}(t) \quad : \gamma_{ib}^{\max}(t) \forall b \in \Omega_i, i \in \Omega^{\text{G}} \quad (2i)$$

$$d_{jc}(t) \leq d_{jc}^{\max}(t) \quad : \zeta_{jc}^{\max}(t) \forall c \in \Omega_j, j \in \Omega^{\text{D}} \quad (2j)$$

$$\theta_s(t) \leq \pi \quad : \eta_s^{\max}(t) \forall s \in \Pi \setminus s : \text{reference bus} \quad (2k)$$

$$\theta_s(t) \geq -\pi \quad : \eta_s^{\min}(t) \forall s \in \Pi \setminus s : \text{reference bus} \quad (2l)$$

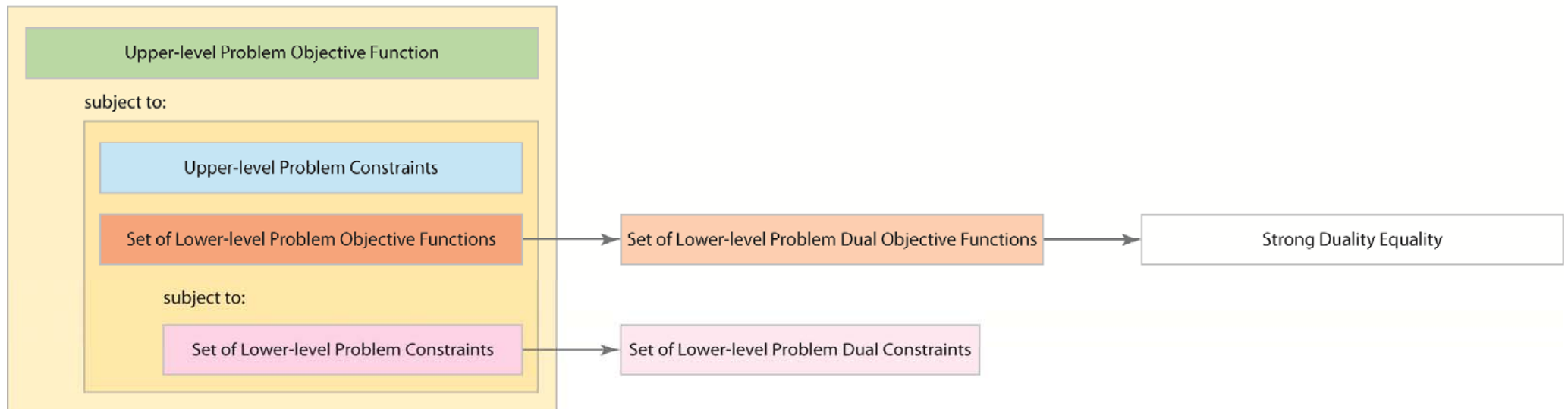
$$\theta_s(t) = 0 \quad : \xi(t) s : \text{reference bus} \quad (2m)$$

$$g_{ib}(t) \geq 0 \quad \forall b \in \Omega_i, i \in \Omega^{\text{G}} \quad (2n)$$

$$d_{jc}(t) \geq 0 \quad \forall c \in \Omega_j, j \in \Omega^{\text{D}} \quad (2o)$$

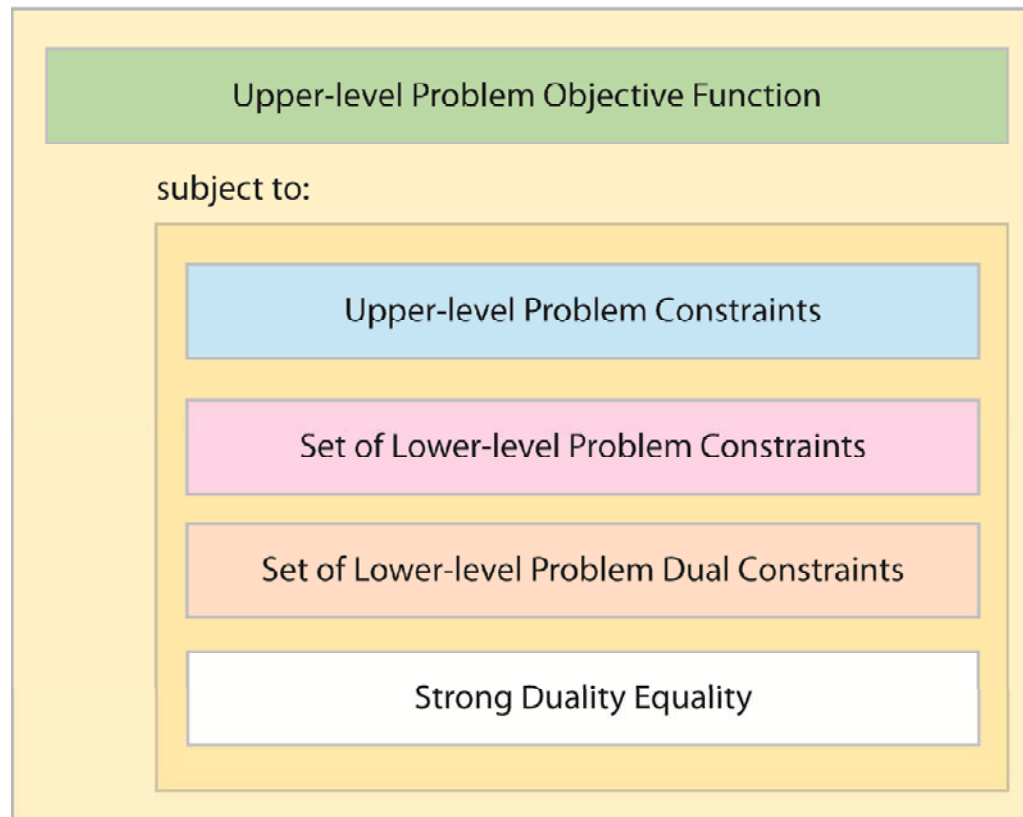
Početna struktura problema

INITIAL PROBLEM FORMULATION



Konačna struktura problema

FINAL PROBLEM FORMULATION



Lower-level problem dual constraints

$$-\alpha_{s(j)}(t) + \zeta_{jc}^{\max} \geq \lambda_{Djc} \quad \forall c, j \quad (3b)$$

$$\alpha_{s(i)}(t) + \gamma_{ib}^{\max} \geq -\lambda_{Gib} \quad \forall b, i \quad (3c)$$

$$-\alpha_{o(l)}(t) + \alpha_{d(l)}(t) + \beta_l(t) + \beta_l^{\max}(t) + \beta_l^{\min}(t) + \kappa_l(t) + \kappa_l^{\max}(t) + \kappa_l^{\min}(t) = 0 \quad \forall l \quad (3d)$$

$$-\sum_{l|o(l)=s} b_l \cdot (1 - x_l(t)) \cdot \beta_l(t) + \sum_{l|d(l)=s} b_l \cdot (1 - x_l(t)) \cdot \beta_l(t) - \quad (3e)$$

$$-\sum_{l|o(l)=s} b_l \cdot \kappa_l(t) + \sum_{l|d(l)=s} b_l \cdot \kappa_l(t) + \eta_s^{\max}(t) + \eta_s^{\min}(t) = 0 \quad \forall s \in \Pi \setminus s : \text{reference bus}$$

Lower-level problem dual constraints

$$\begin{aligned}
 & - \sum_{l|o(l)=s} b_l \cdot (1 - x_l(t)) \cdot \beta_l(t) + \\
 & + \sum_{l|d(l)=s} b_l \cdot (1 - x_l(t)) \cdot \beta_l(t) -
 \end{aligned} \tag{3f}$$

$$\begin{aligned}
 & - \sum_{l|o(l)=s} b_l \cdot \kappa_l(t) + \sum_{l|d(l)=s} b_l \cdot \kappa_l(t) + \\
 & + \xi_s(t) = 0 \quad s : \text{reference bus}
 \end{aligned}$$

$$\alpha_s(t) \quad \text{free} \quad \forall s \tag{3g}$$

$$\beta_l(t) \quad \text{free}; \quad \beta_l^{\max}(t) \geq 0; \quad \beta_l^{\min}(t) \leq 0 \quad \forall s \tag{3h}$$

$$\kappa_l(t) \quad \text{free}; \quad \kappa_l^{\max}(t) \geq 0; \quad \kappa_l^{\min}(t) \leq 0 \quad \forall s \tag{3i}$$

Lower-level problem dual constraints

$$\gamma_{ib}^{\max}(t) \geq 0 \quad \forall b, i \quad (3j)$$

$$\zeta_{jc}^{\max}(t) \geq 0 \quad \forall c, j \quad (3k)$$

$$\eta_s^{\max}(t) \geq 0; \quad \eta_s^{\min}(t) \leq 0 \quad \forall s \quad (3l)$$

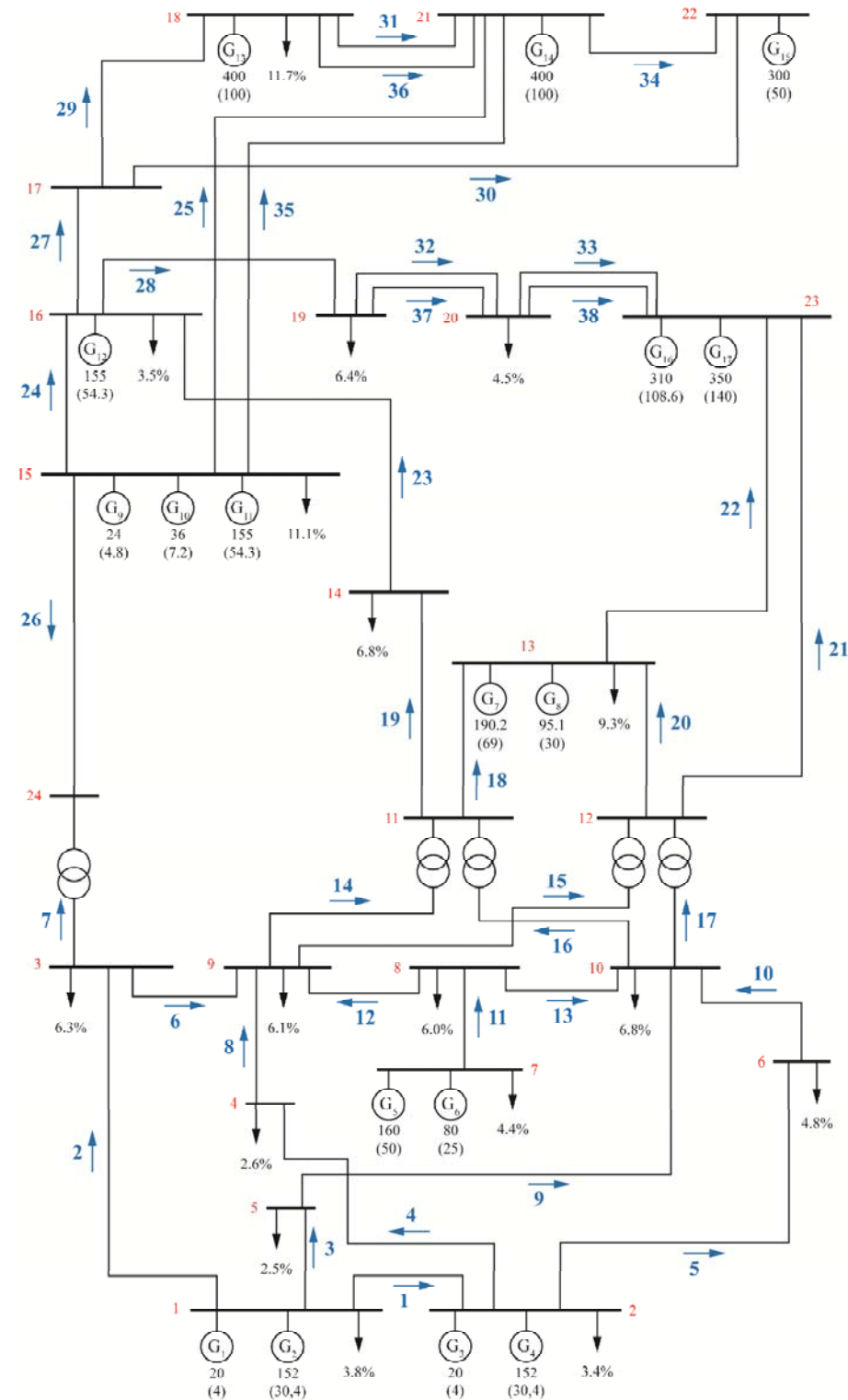
$$\xi(t) \quad \text{free} \quad s : \text{reference bus} \quad (3m)$$

Strong duality equality

$$\begin{aligned} & \sum_{j \in \Omega^D} \sum_{c \in \Omega_j} \lambda_{Djc}(t) \cdot d_{jc}(t) - \\ & - \sum_{i \in \Omega^G} \sum_{b \in \Omega_i} \lambda_{Gib}(t) \cdot g_{ib}(t) = \\ & = \sum_{l \in \Omega^M} (\beta_l^{\max}(t) - \beta_l^{\min}(t)) \cdot p_l^{\max} + \\ & + \sum_{l \in \Omega^{NM}} (\kappa_l^{\max}(t) - \kappa_l^{\min}(t)) \cdot p_l^{\max} + \\ & + \sum_{i \in \Omega^G} \sum_{b \in \Omega_i} \gamma_{ib}^{\max}(t) \cdot g_{ib}^{\max}(t) + \\ & + \sum_{j \in \Omega^D} \sum_{c \in \Omega_j} \zeta_{jc}^{\max}(t) \cdot d_{jc}^{\max}(t) + \\ & + \sum_{s \in \Pi} (\eta_s^{\max}(t) - \eta_s^{\min}(t)) \cdot \pi \end{aligned}$$

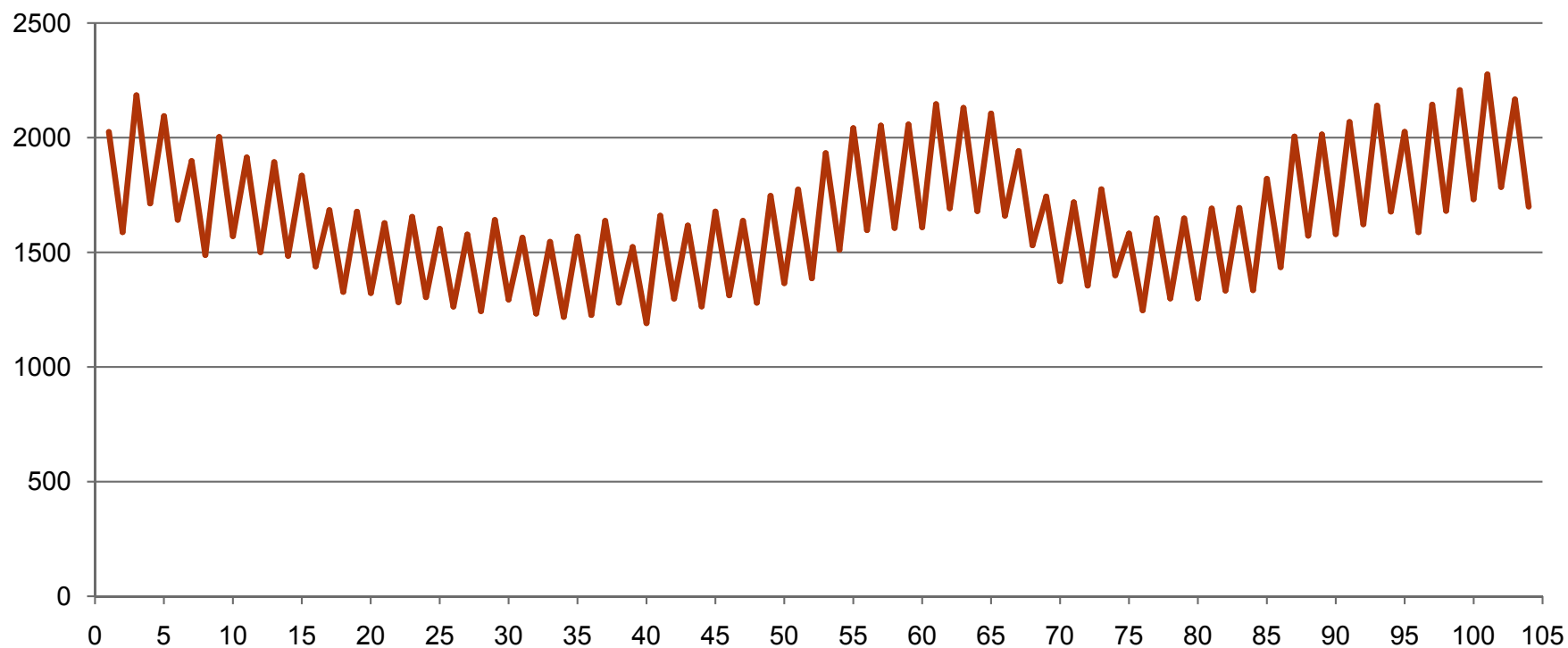
Case study

- Modificirana IEEE 24-bus mreža:
 - 38 vodova
 - 17 generatora
 - 17 tereta



Opterećenje u sustavu

- Godina podijeljena na 104 perioda:
 - radni dio tjedna (52)
 - vikend (52)



Ulazni podaci

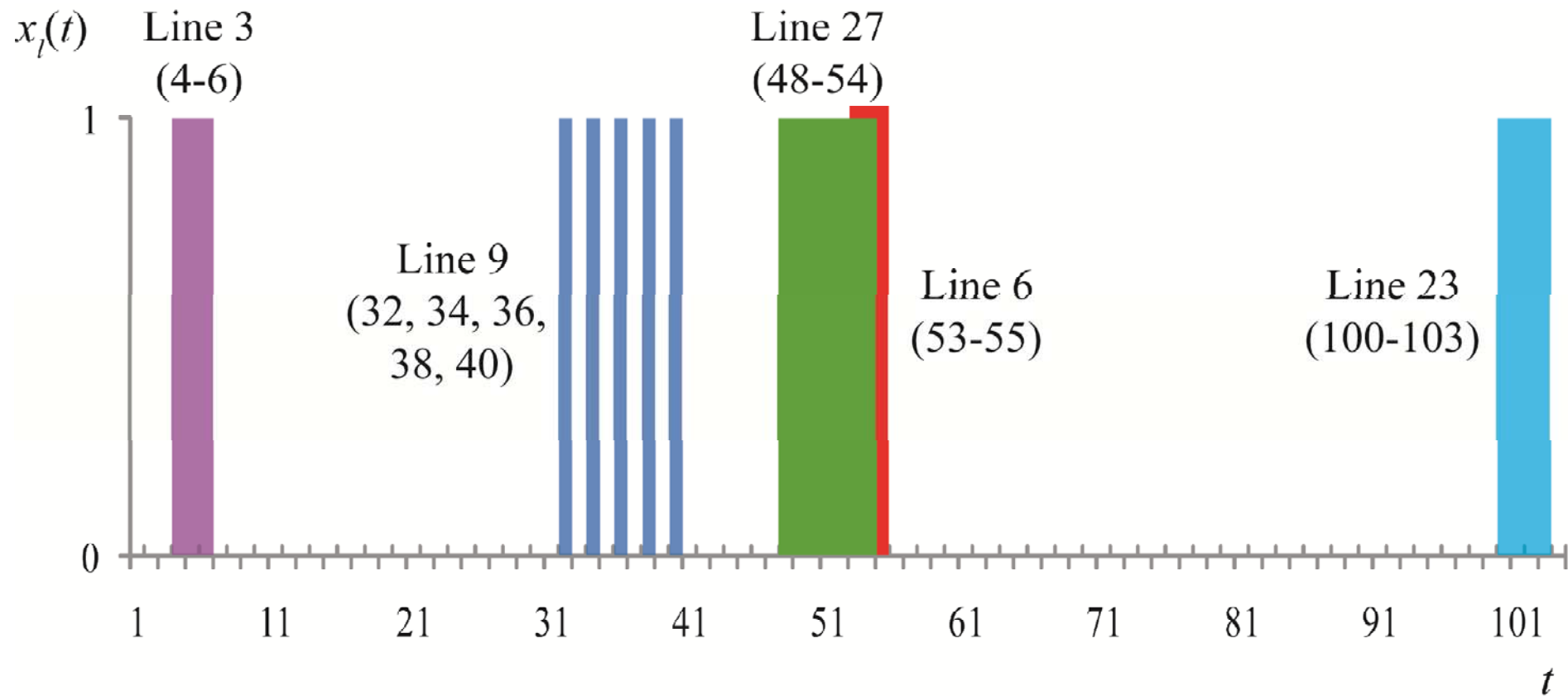
- Topologija mreže
- Susceptancije i kapaciteti vodova
- Ponuđeni blokovi generatora
- Ukupno opterećenje sustava za svako vremensko razdoblje
- Distribucija opterećenja po sabirnicama
- Težinski faktori (važnost) vodova
- Granice razina opterećenja vodova te težinski faktori

Zahtjevi održavanja

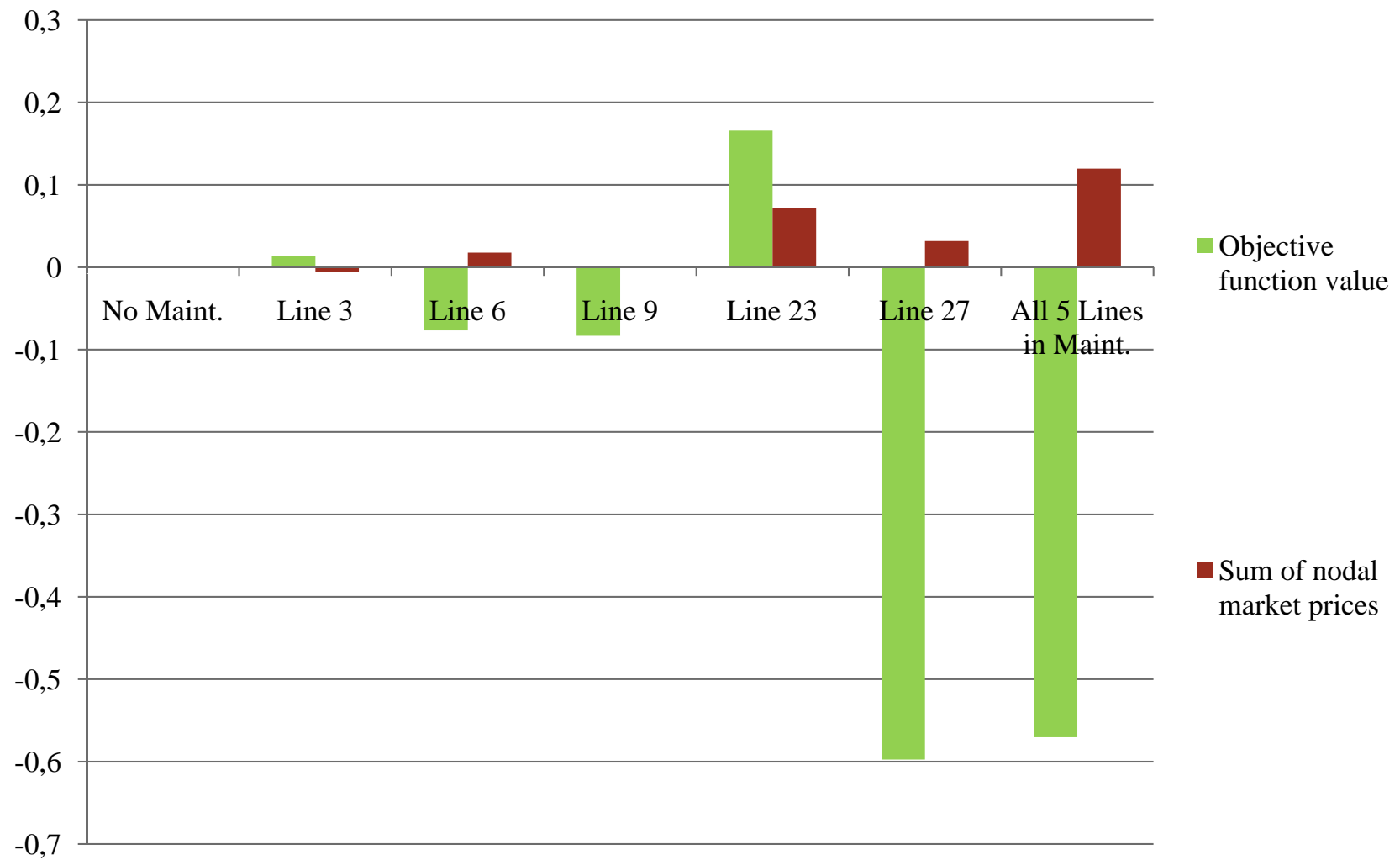
Line	3	6	9	23	27
Number of working week periods	1	2	0	2	3
Number of weekend periods	2	1	5	2	4
Exclusion constraints	-	-	-	-	-
Priority constraints	Before line 9	-	After line 3	-	-
Time periods overlap constraints	-	First 2 with line 27	-	-	Last 2 with line 6

Rezultat

- Optimalni raspored održavanja:



Analiza



Doprinosi istraživanja

- Formulacija problema održavanja vodova u tržišnim uvjetima
- Primjena bilevel programiranja na problem održavanja u elektroenergetici
- Linearizacija funkcije cilja i ograničenja u podproblemu
- Podjela na radni dio tjedna i vikend

FER vs. UCLM

- UCLM:
 - stipendija na 4 godine
 - ne drže nastavu
 - tijekom doktorata odlazak na bar 2 strana sveučilišta
 - iznimno kvalitetni doktorati s međunarodnom komisijom
 - slabo poznaju struku

Motivacija

- Osobna:
 - skupljena golema količina znanja i iskustva
 - osnova za doktorsku disertaciju
 - daljnja suradnja
- FER:
 - međunarodna suradnja
 - prijenos znanja na studente
 - objava radova

Ali najvažnije...

- ... neprocjenjivo iskustvo i prijatelji

